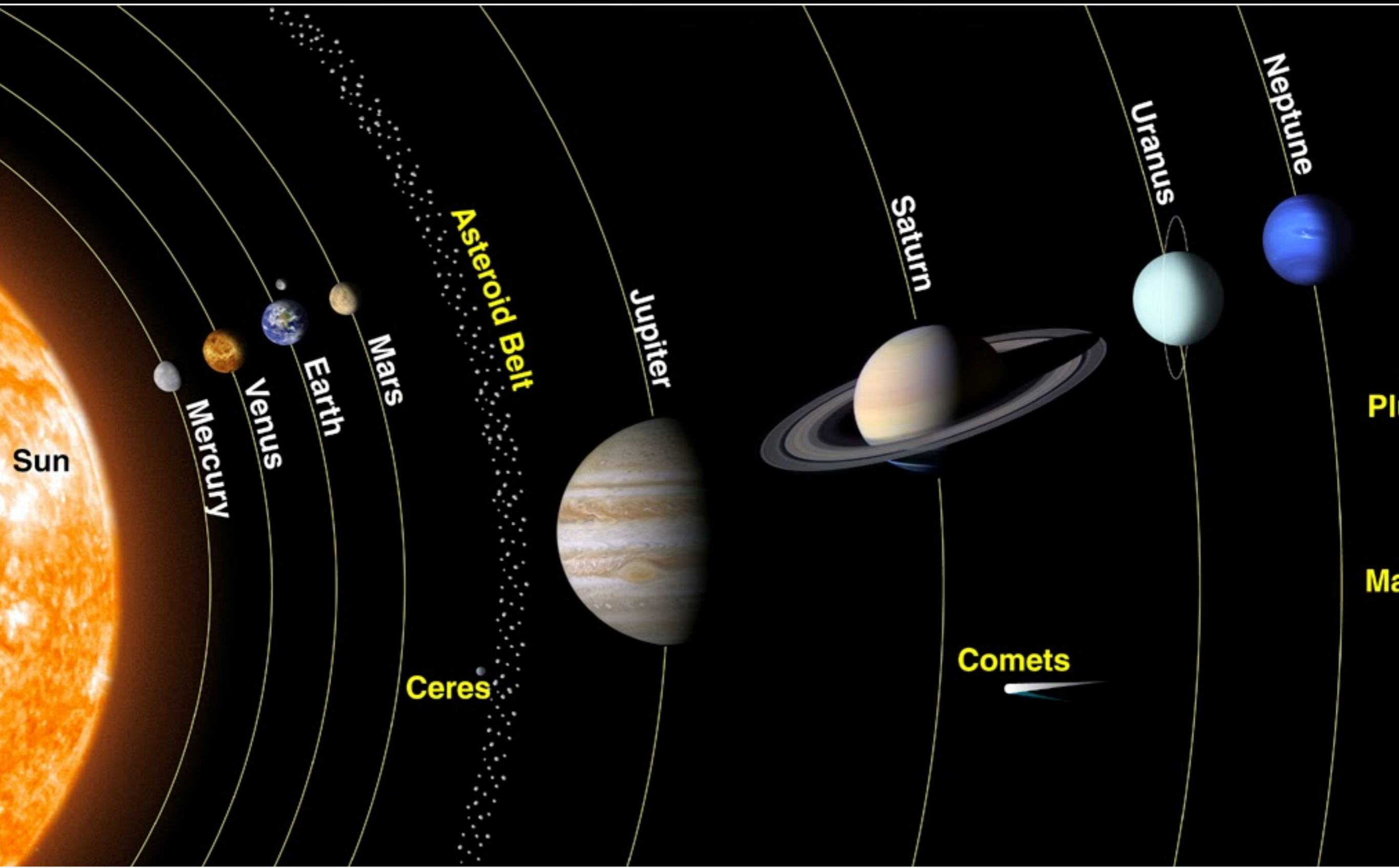


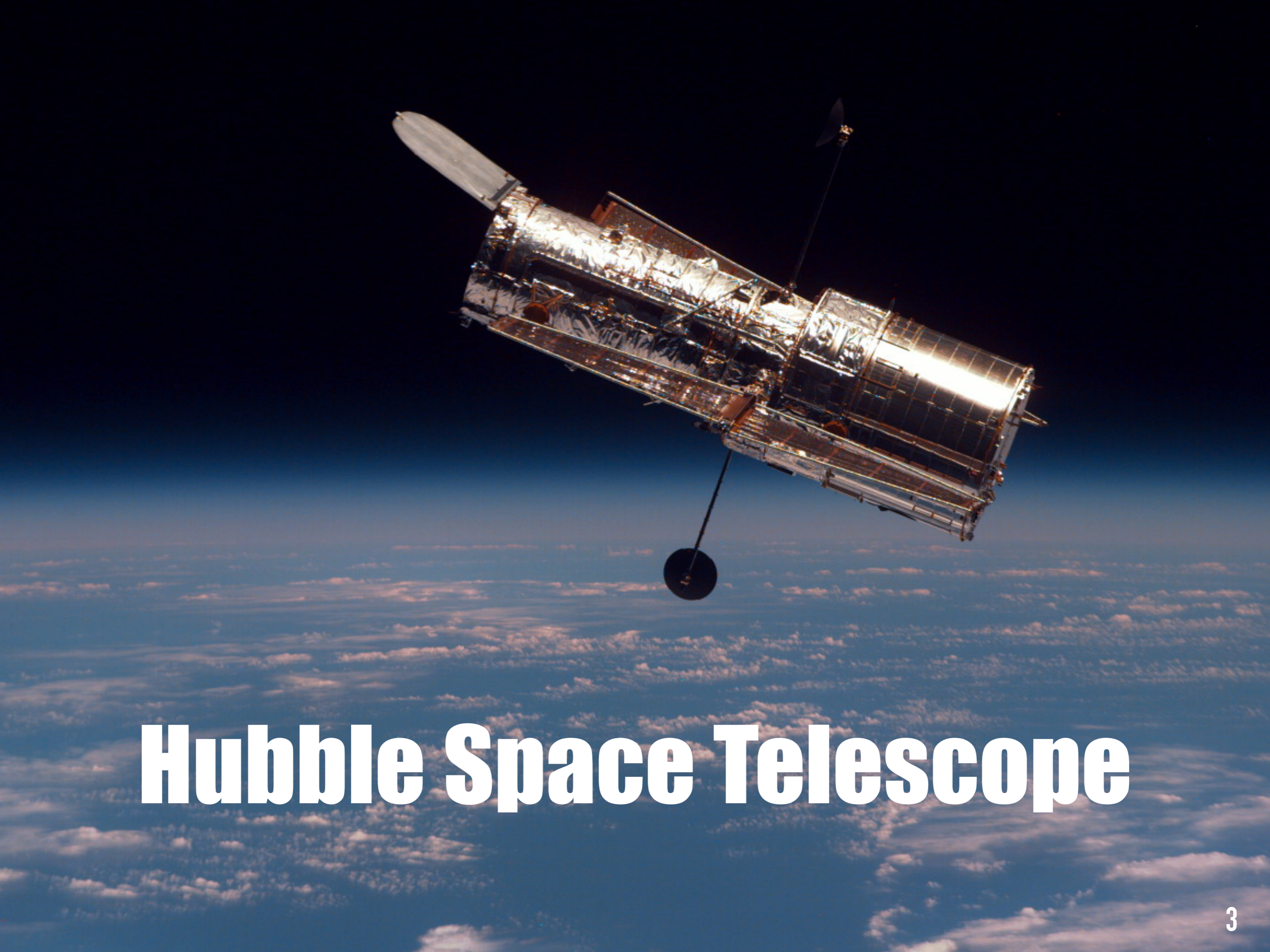
An incredible journey into space

The Weather on Mars





A trip to Mars

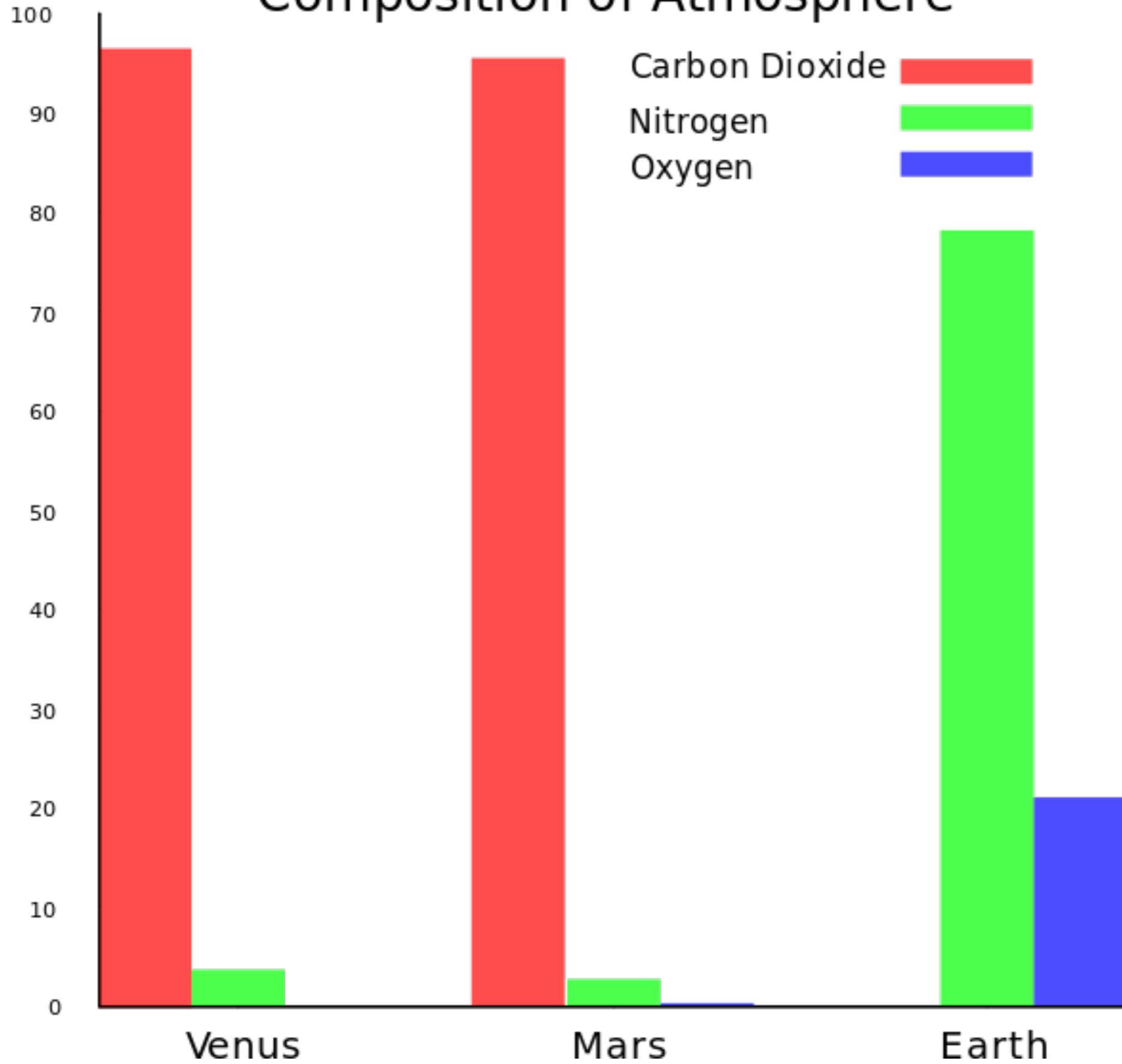


Hubble Space Telescope





Composition of Atmosphere



an atmosphere has certain characteristics which are very different to those
 presence of regular travelling baroclinic waves occur.

Physical Parameters	Earth	Mars
Radius	6378 km	3397 km
Surface gravity	9.8 ms ⁻²	3.72 ms ⁻²
Mean distance from sun	1.49 x 10 ⁸ km	2.28 x 10 ⁸ km
Inclination of Equator to orbit	23.45°	25.2°
Rotation Period	24 h (1 day)	24 h 39.5 m (1 sol)
Length of year	365.25 days	669 sols
Surface pressure	1000 mb	5-10 mb
Surface Temperature	250-300 K	150-300 K
Scale Height	8 km	10 km

Table 3.1: Characteristics of Earth and Mars.

ough there is a basic similarity in the values of relevant parameters for
 or Mars and the Earth, Martian meteorology has some unique aspects (Lec

Travel time to the red planet

Mariner 4, the first spacecraft to go to Mars (1964 flyby): 228 days

Mariner 6 (1969 flyby): 155 days

Mariner 7 (1969 flyby): 128 days

Mariner 9, the first spacecraft to orbit Mars (1971): 168 days

Viking 1, the first U.S. craft to land on Mars (1975): 304 days

Viking 2 Orbiter/Lander (1975): 333 days

Mars Global Surveyor (1996): 308 days

Mars Pathfinder (1996): 212 days

Mars Odyssey (2001): 200 days

Mars Express Orbiter (2003): 201 days

Mars Reconnaissance Orbiter (2005): 210 days

Mars Science Laboratory (2011): 254 days

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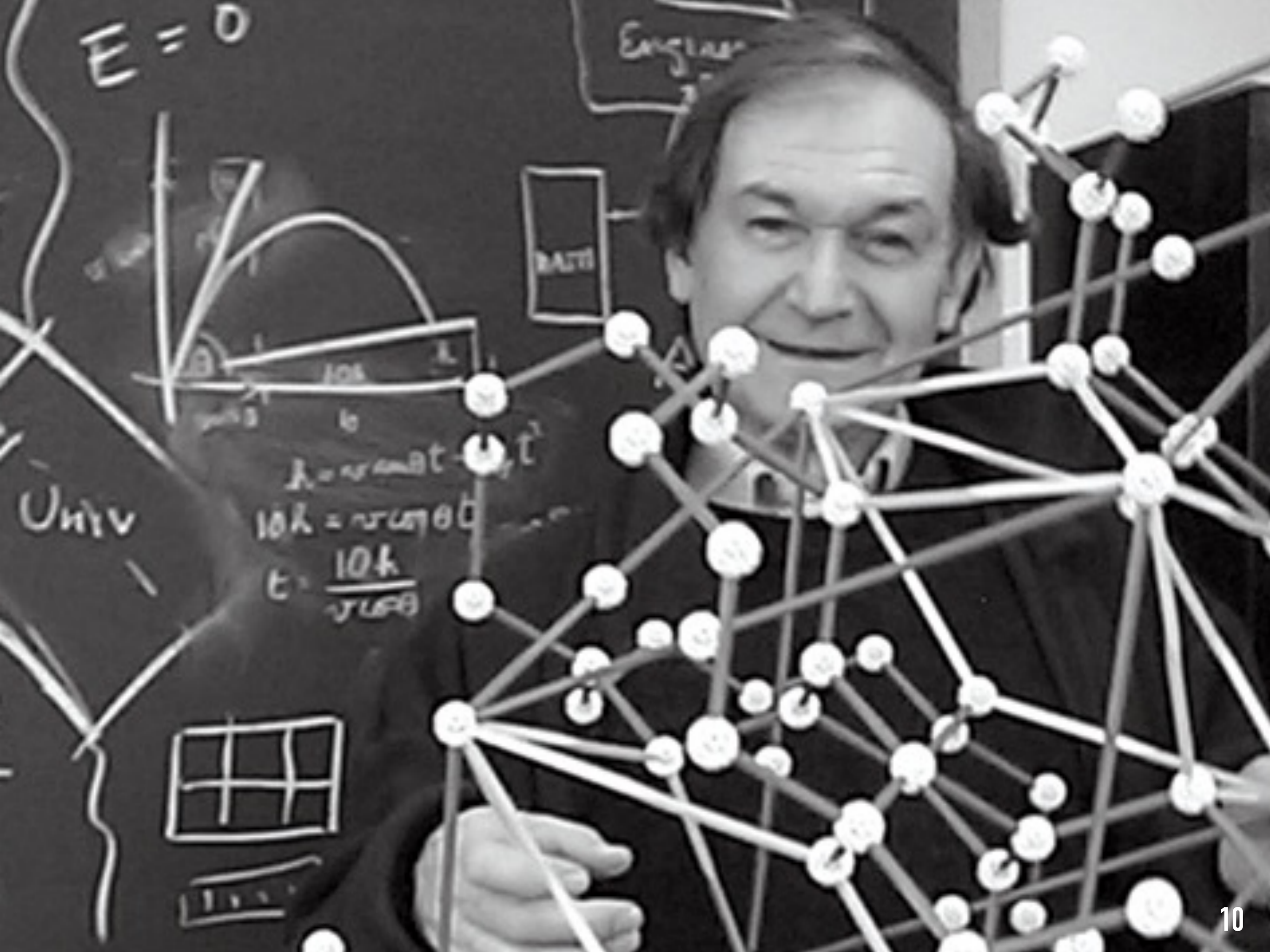
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The Pathfinder Project





Fermat's equation:

$$x^n + y^n = z^n$$

This equation has no solutions in integers for $n \geq 3$.



The challenge (by end of week):

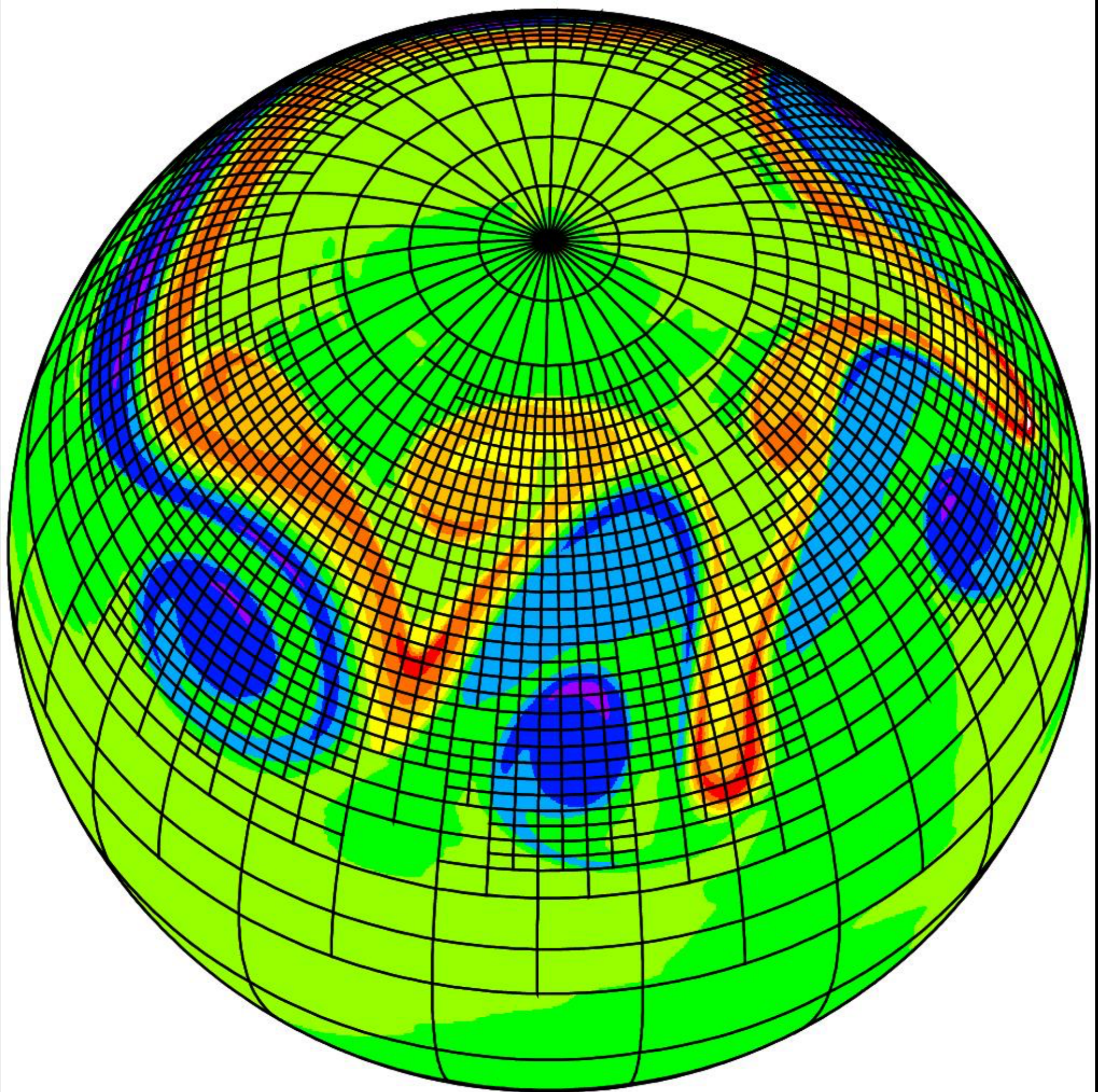
- $x^n + y^n = z^n$
- Solution has no real numbers for n greater than or equal to 3
- For $n=2$: you find me the largest x , y and z

der (θ, ϕ, z) to be the coordinate axes, where ϕ is longitude, θ latitude, z the vertical distance above the surface of the planet and $\mathbf{U} = (u, v, w)$ to be the relative velocity. The distance to the centre of the planet is r where $r = a + z$ (a is the radius of the planet). For the regions of the atmosphere which are meteorologically relevant, we take $r = a$ as a good approximation. If the Coriolis force $2\boldsymbol{\Omega}$ is expressed in components and the friction force is taken to be $\mathbf{F}_r = (F_x, F_y, F_z)$, then the equations of motion on a sphere are :

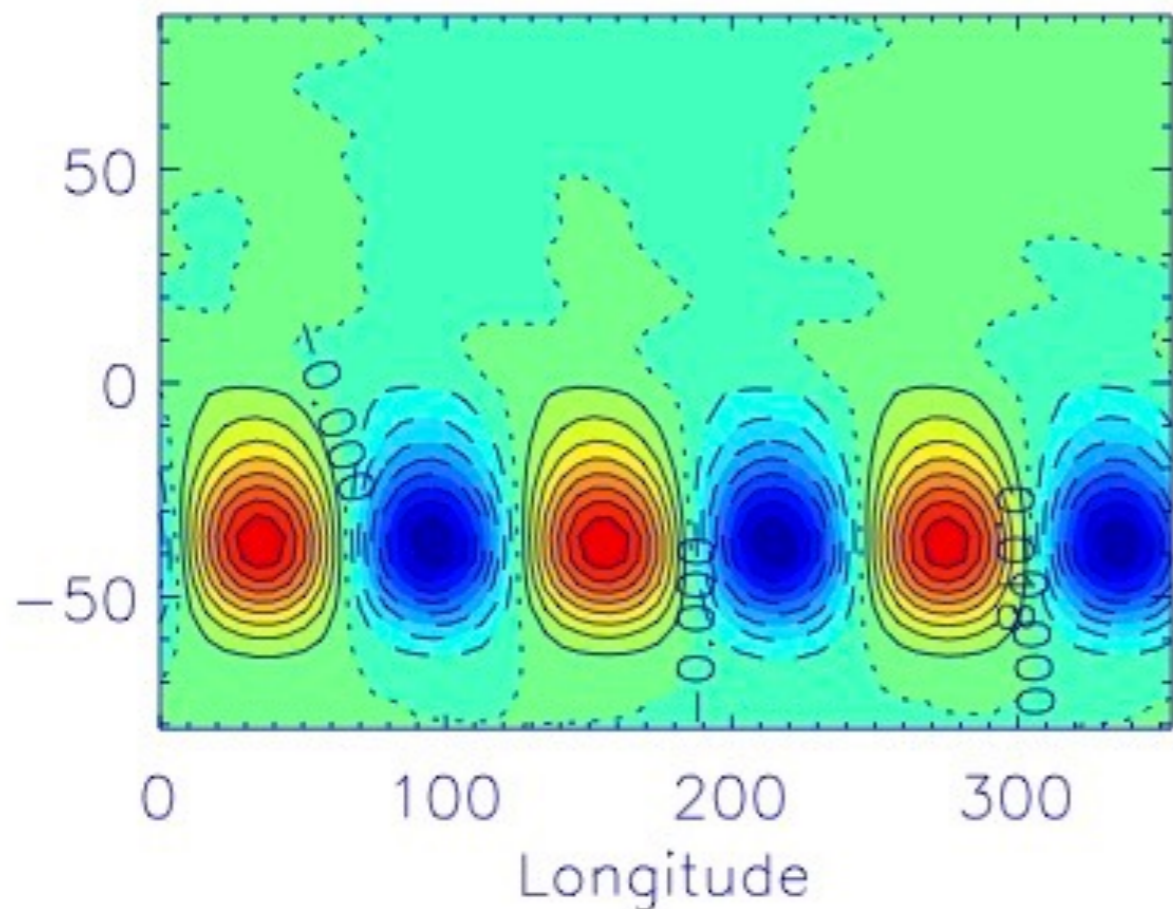
$$\begin{aligned} \frac{du}{dt} - \frac{uv \tan \theta}{a} + \frac{uw}{a} &= -\frac{1}{\rho} \frac{\partial p}{\partial x} + 2\Omega v \sin \theta - 2\Omega w \cos \theta + F_x, \\ \frac{dv}{dt} + \frac{u^2 \tan \theta}{a} + \frac{vw}{a} &= -\frac{1}{\rho} \frac{\partial p}{\partial y} - 2\Omega u \sin \theta + F_y, \\ \frac{dw}{dt} - \frac{u^2 + v^2}{a} &= -\frac{1}{\rho} \frac{\partial p}{\partial z} - g + 2\Omega u \cos \theta + F_z. \end{aligned}$$

James (1994), the pressure derivatives in spherical coordinates become $\frac{\partial p}{\partial x} \rightarrow \frac{\partial p}{a \cos \theta}$, $\frac{\partial p}{\partial y} \rightarrow \frac{1}{a} \frac{\partial p}{\partial \theta}$. The terms proportional to $\frac{1}{a}$ on the left hand sides of (1.14) - (1.16) are curvature terms. In this process r has been replaced by a which means that the Coriolis terms proportional to $\cos \theta$ in (1.14) and (1.16) must be neglected if the equations

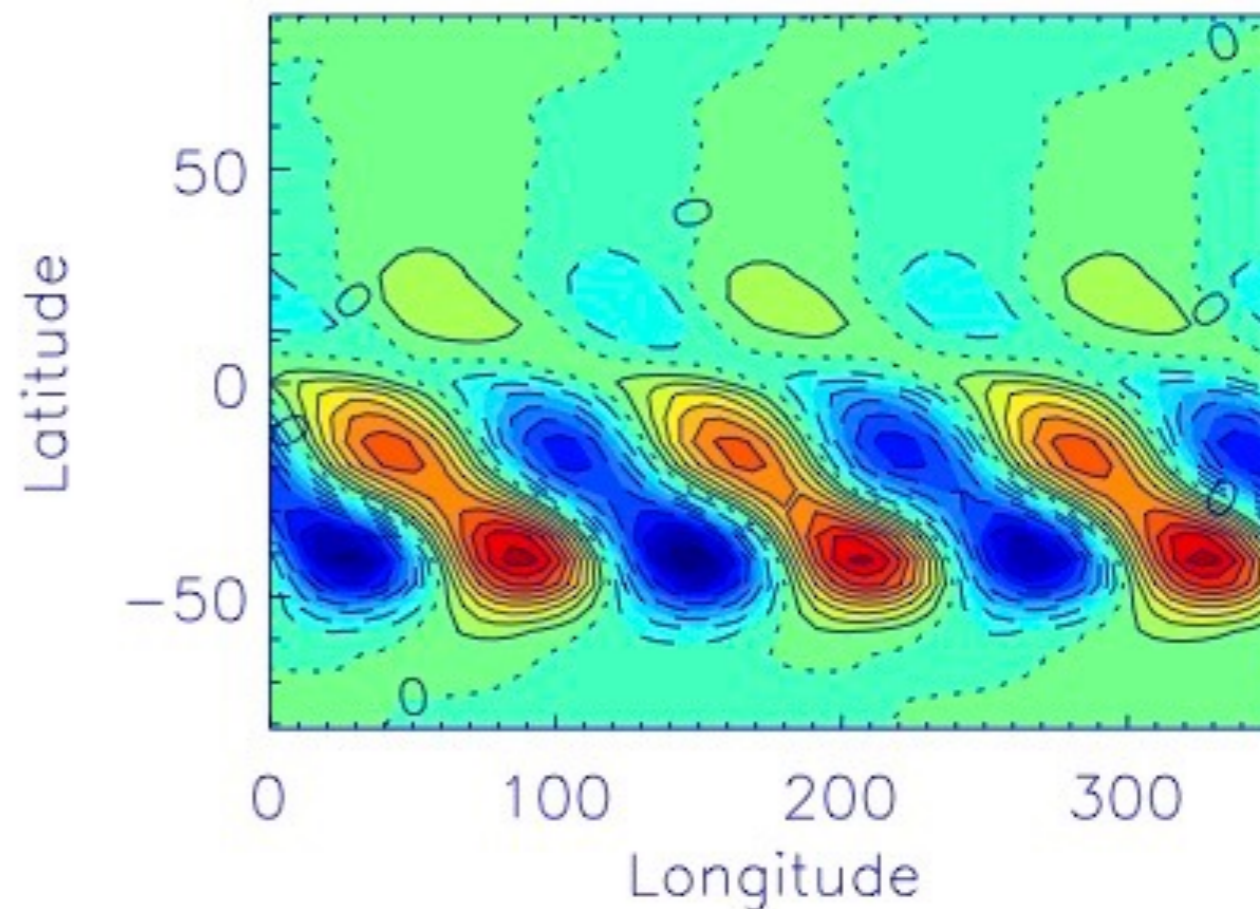
$$\begin{aligned}
& \sum_{p=0}^{N-1} \left(\sum_{i=1}^n \dot{a}_i(\bar{\Phi}_k^p, \nabla^2 \bar{\Phi}_i^p) + \sum_{i=1}^m \dot{b}_i(\bar{\Phi}_k^p, \tilde{\Phi}_i^p) - \sum_{i=1}^n \lambda_p \dot{a}_i(\bar{\Phi}_k^p, \bar{\Phi}_i^p) - \sum_{i=1}^m \lambda_p \dot{b}_i(\bar{\Phi}_k^p, \tilde{\Phi}_i^p) \right) \\
&= \sum_{p=0}^{N-1} \left(- \sum_{i=1}^n \sum_{j=1}^n a_i a_j(\bar{\Phi}_k^p, J(\bar{\Phi}_i^p, \nabla^2 \bar{\Phi}_j^p)) - \sum_{i=1}^n \sum_{j=1}^m a_i b_j(\bar{\Phi}_k^p, J(\bar{\Phi}_i^p, \nabla^2 \tilde{\Phi}_j^p)) \right. \\
&\quad - \sum_{i=1}^n a_i(\bar{\Phi}_k^p, J(\bar{\Phi}_i^p, \nabla^2 \hat{\Phi}^p)) + \sum_{i=1}^n \sum_{j=1}^n a_i a_j \lambda_p(\bar{\Phi}_k^p, J(\bar{\Phi}_i^p, \bar{\Phi}_j^p)) \\
&\quad + \sum_{i=1}^n \sum_{j=1}^m \lambda_p a_i b_j(\bar{\Phi}_k^p, J(\bar{\Phi}_i^p, \tilde{\Phi}_j^p)) + \sum_{i=1}^n \lambda_p a_i(\bar{\Phi}_k^p, J(\bar{\Phi}_i^p, \hat{\Phi}^p)) \\
&\quad - \sum_{i=1}^n a_i(\bar{\Phi}_k^p, J(\bar{\Phi}_i^p, f)) - \sum_{i=1}^m b_i(\bar{\Phi}_k^p, J(\tilde{\Phi}_i^p, f)) - (\bar{\Phi}_k^p, J(\hat{\Phi}^p, f)) \\
&\quad - \sum_{i=1}^m \sum_{j=1}^n b_i a_j(\bar{\Phi}_k^p, J(\tilde{\Phi}_i^p, \nabla^2 \bar{\Phi}_j^p)) - \sum_{i=1}^m \sum_{j=1}^m b_i b_j(\bar{\Phi}_k^p, J(\tilde{\Phi}_i^p, \nabla^2 \tilde{\Phi}_j^p)) \\
&\quad \left. - \sum_{i=1}^m b_i(\bar{\Phi}_k^p, J(\tilde{\Phi}_i^p, \nabla^2 \hat{\Phi}^p)) + \sum_{i=1}^m \sum_{j=1}^n \lambda_p b_i a_j(\bar{\Phi}_k^p, J(\tilde{\Phi}_i^p, \bar{\Phi}_j^p)) \right)
\end{aligned}$$



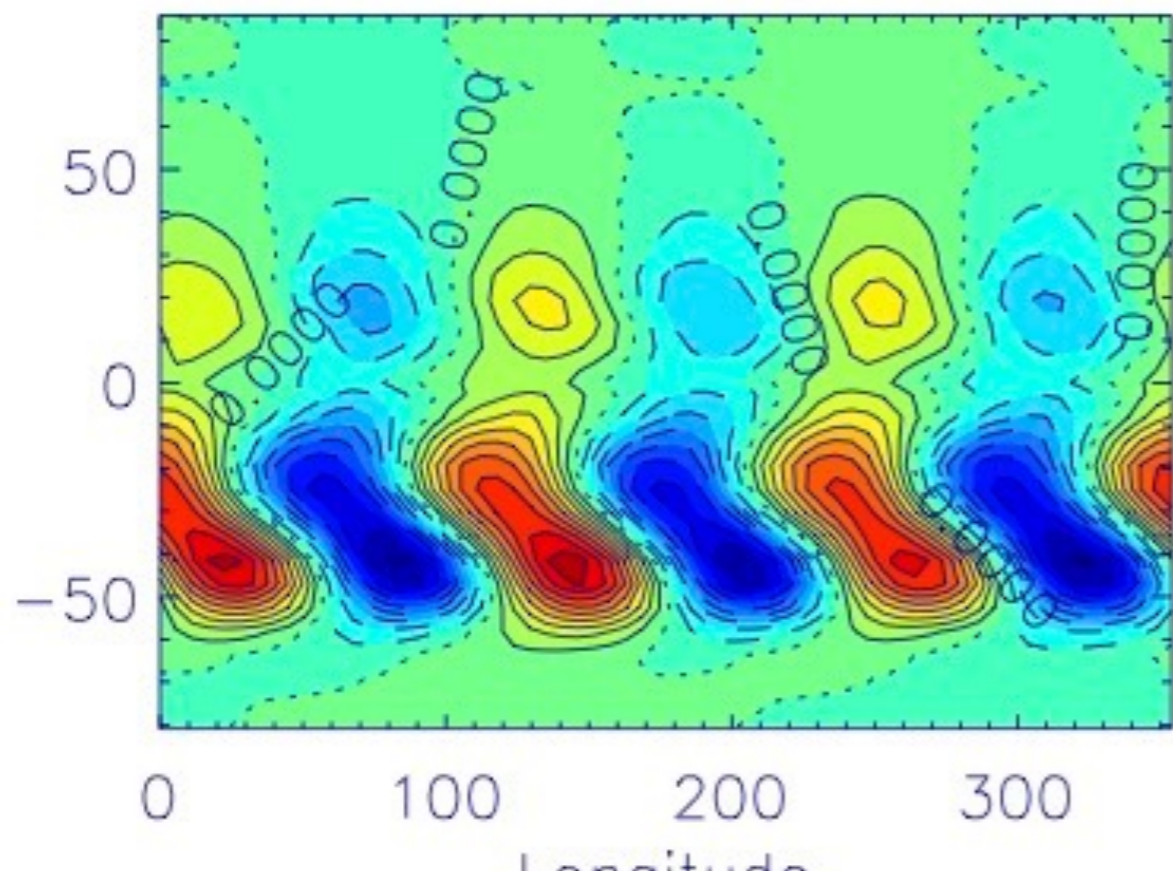
bt : mode 1



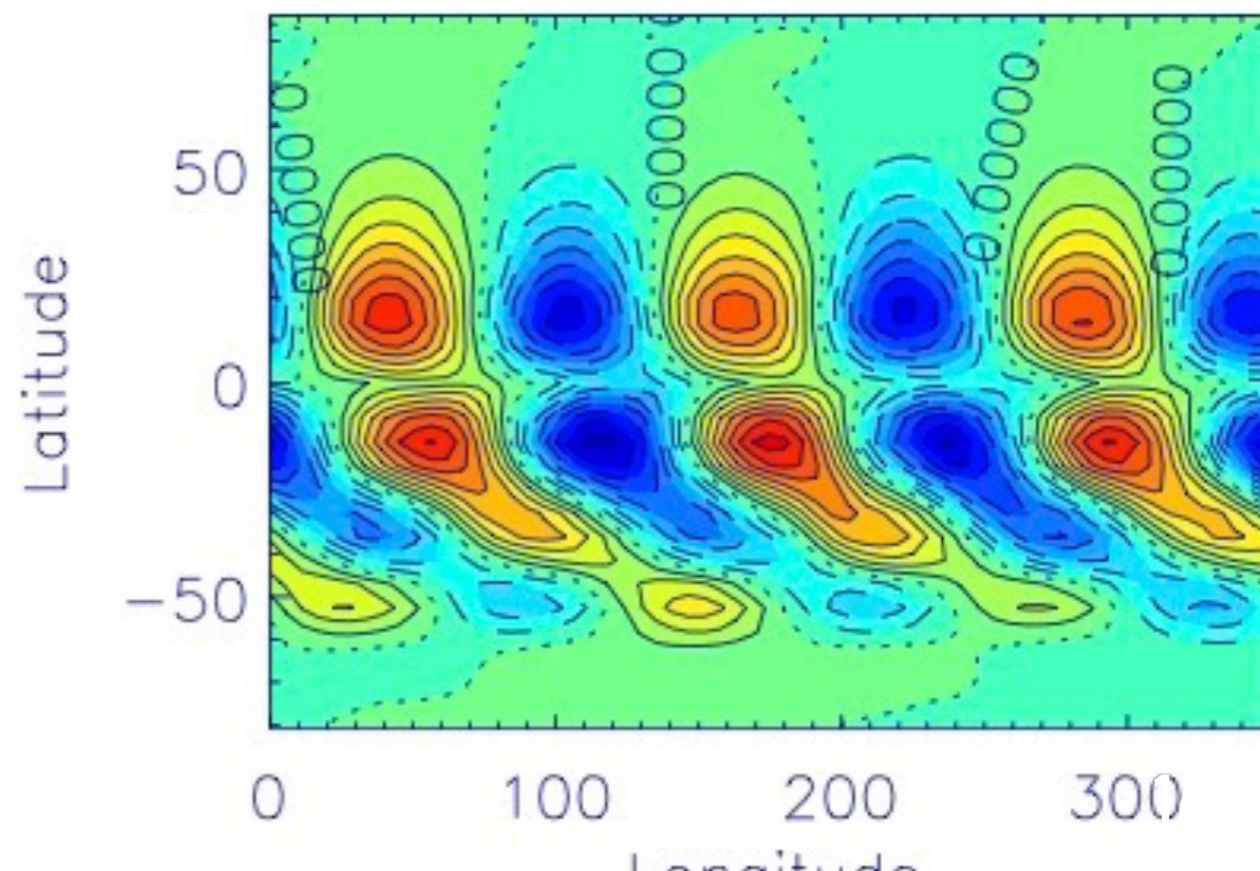
bc_1 : mode 1



bc_2 : mode 1

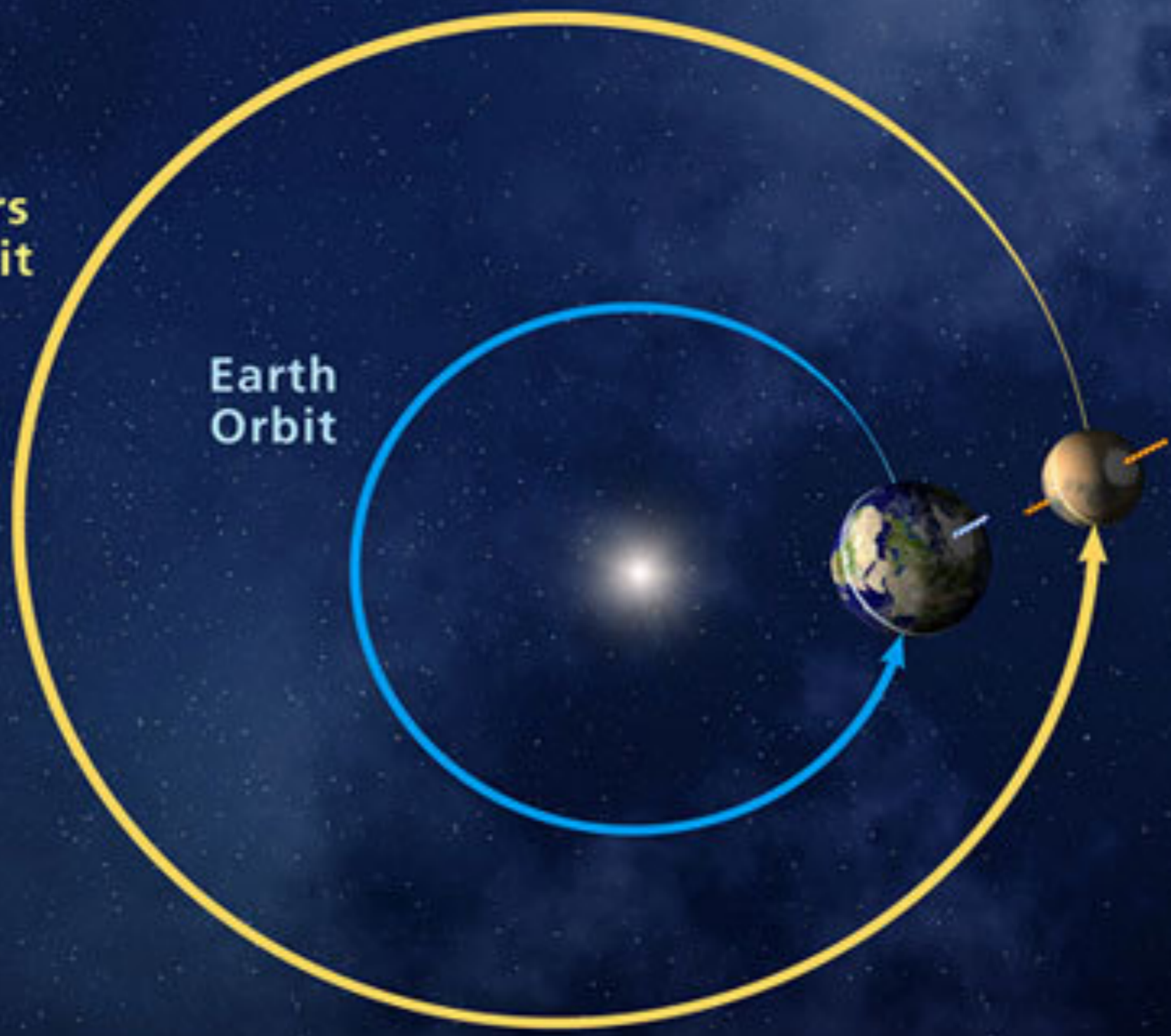


bc_3 : mode 1



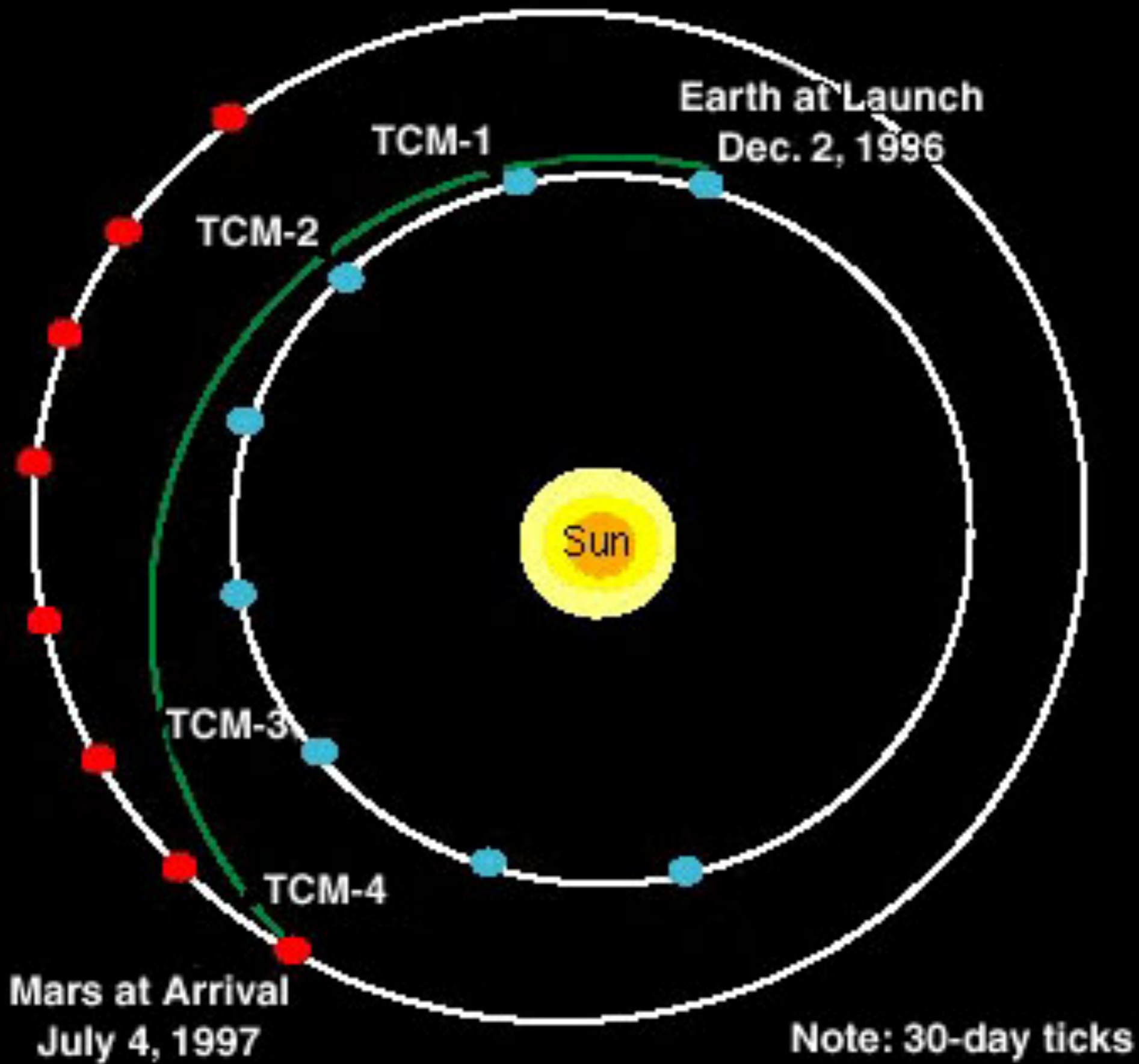
**Mars
Orbit**

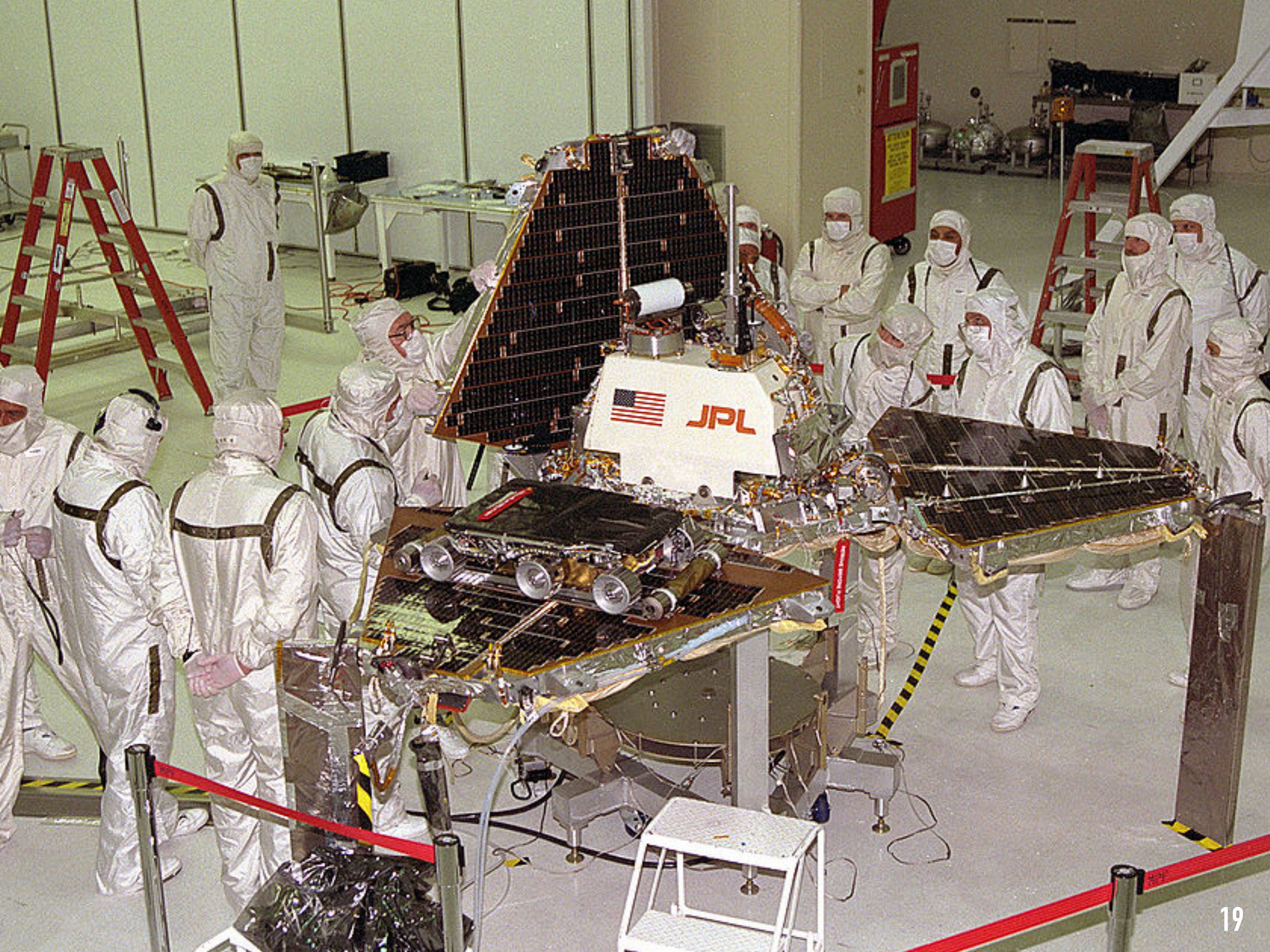
**Earth
Orbit**

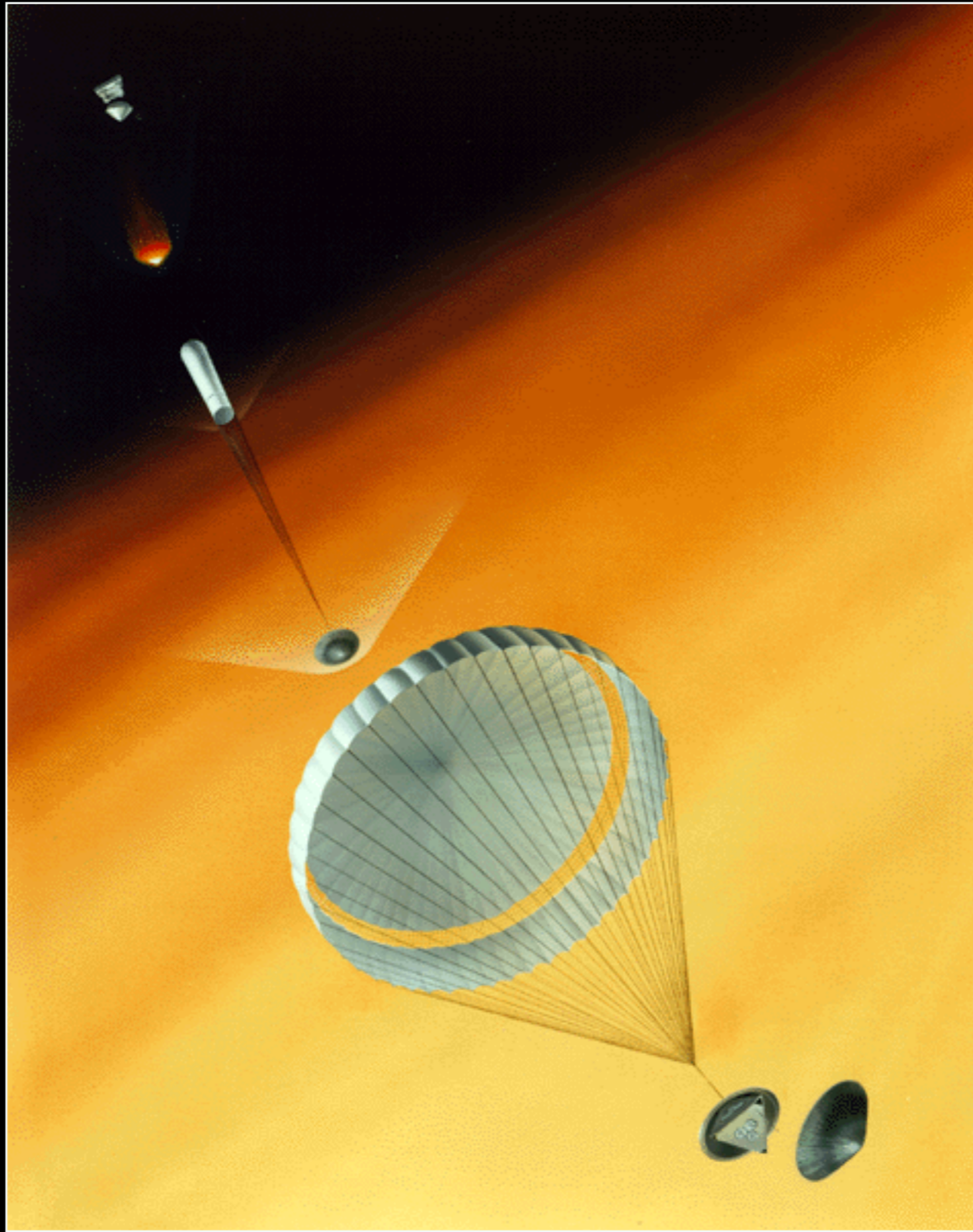


1 Earth Year = 365 days

1 Mars Year = 687 Earth days or 669 sols (martian days)





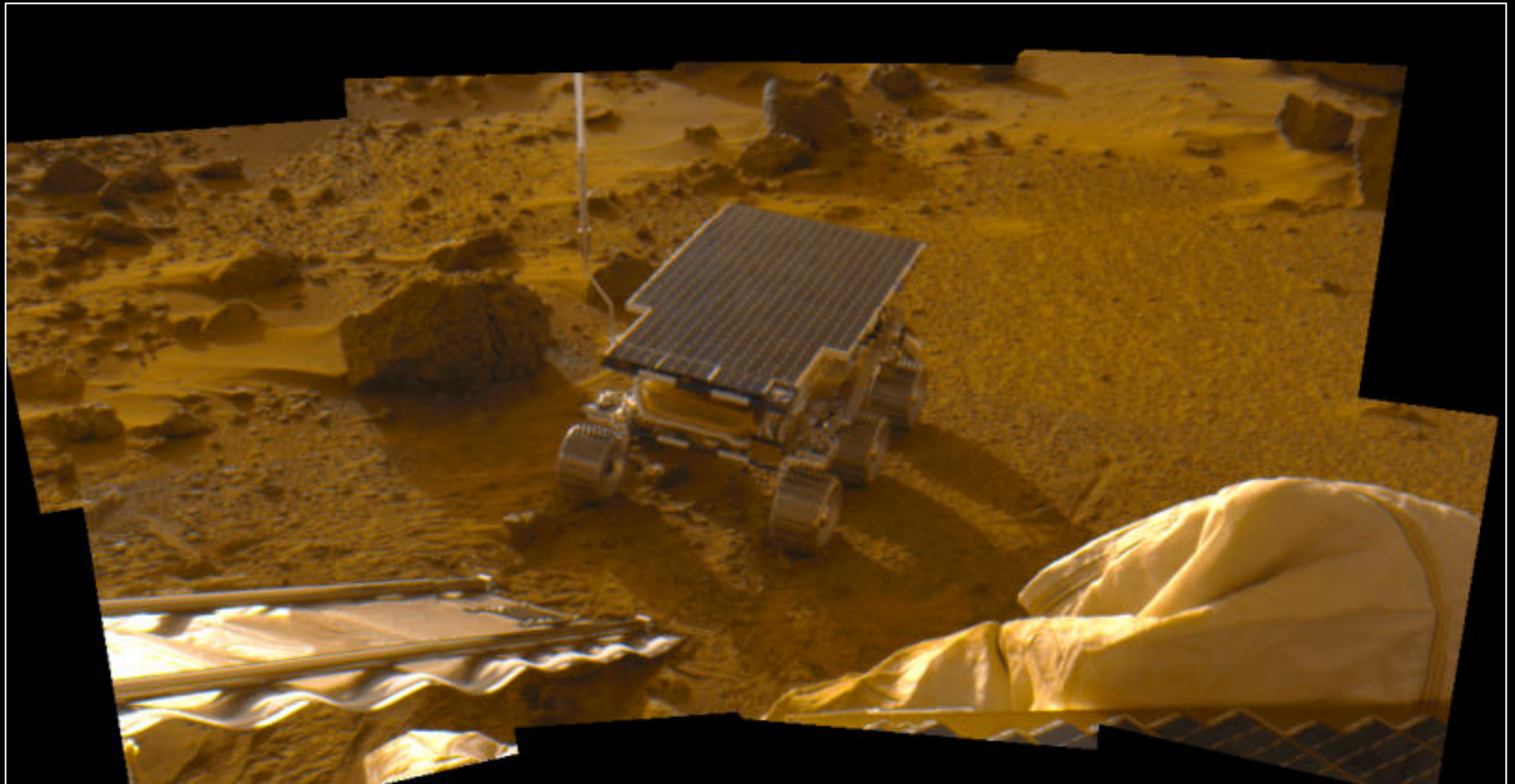


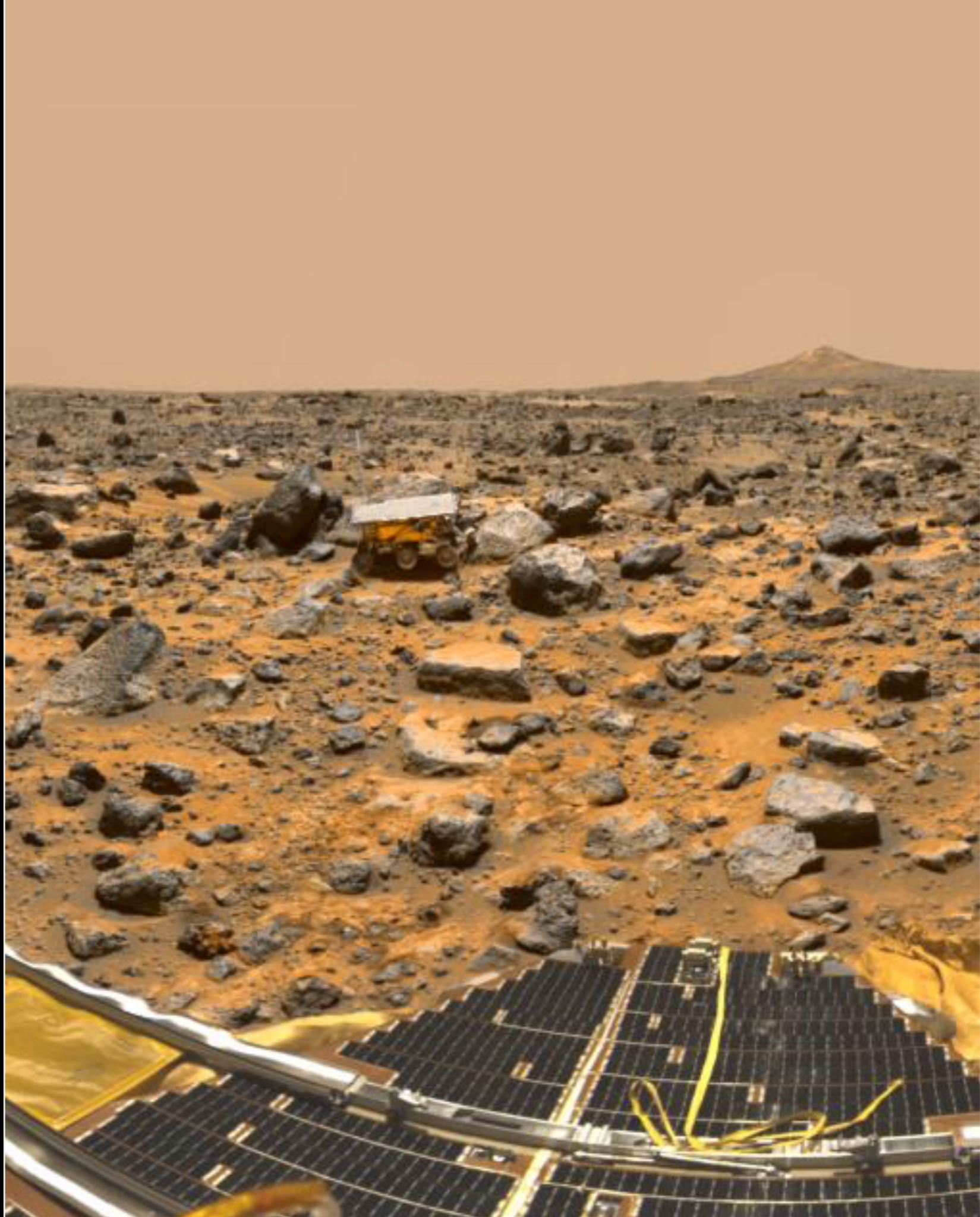


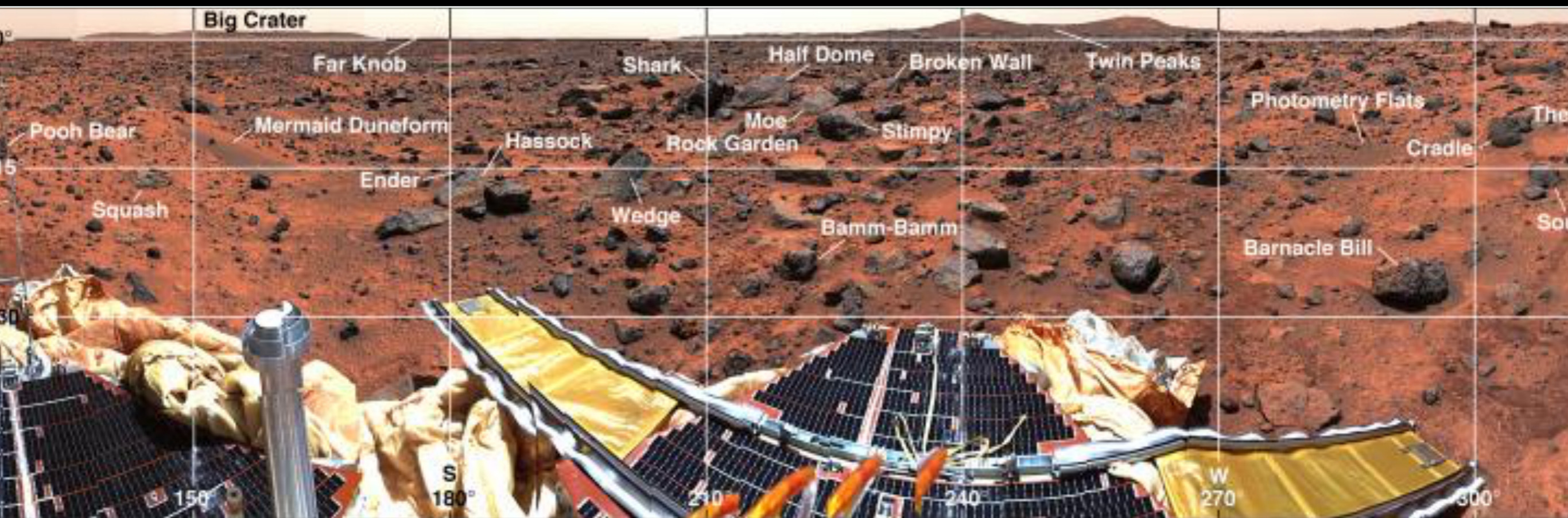
An aerial photograph of the Ares Vallis region on Mars. The landscape is characterized by extensive, layered rock formations in shades of orange and red. A prominent, wide valley runs through the center of the image, flanked by steep, eroded slopes. The rock surfaces show intricate patterns of erosion and sedimentation. The sky is a pale, hazy orange, suggesting a clear but dusty atmosphere.

Ares Vallis ('the valley of Ares')

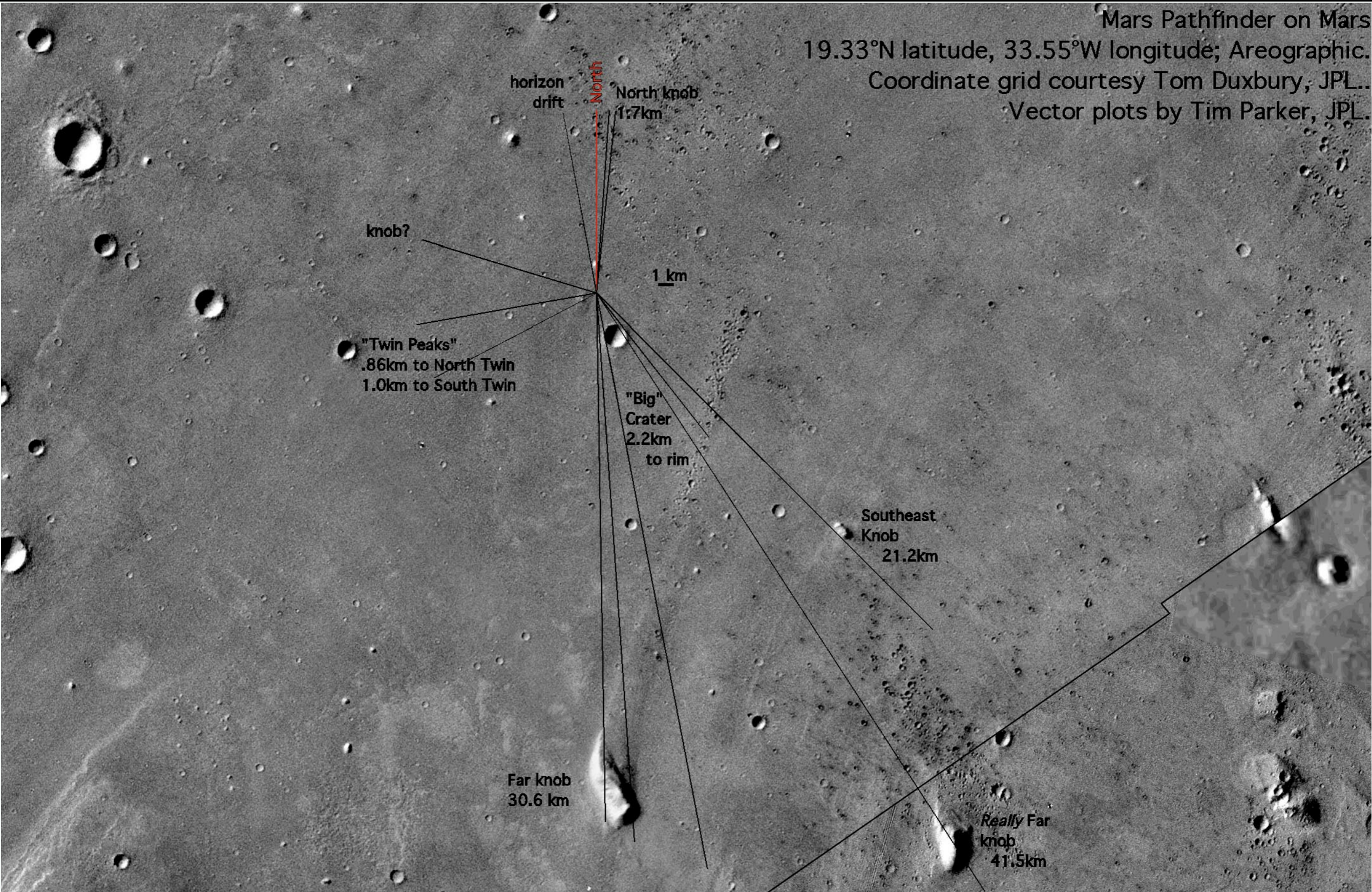
Pathfinder pictures – Rover







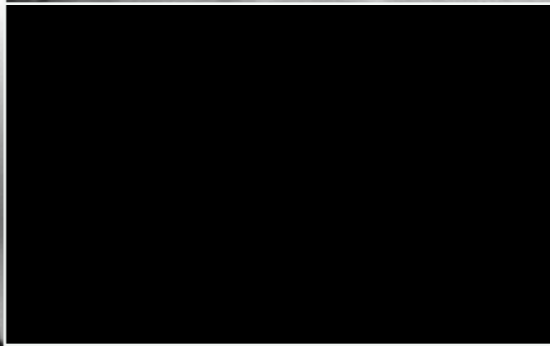
Mars Pathfinder on Mars
19.33°N latitude, 33.55°W longitude; Areographic.
Coordinate grid courtesy Tom Duxbury, JPL.
Vector plots by Tim Parker, JPL.



Twin peaks



Rover pictures

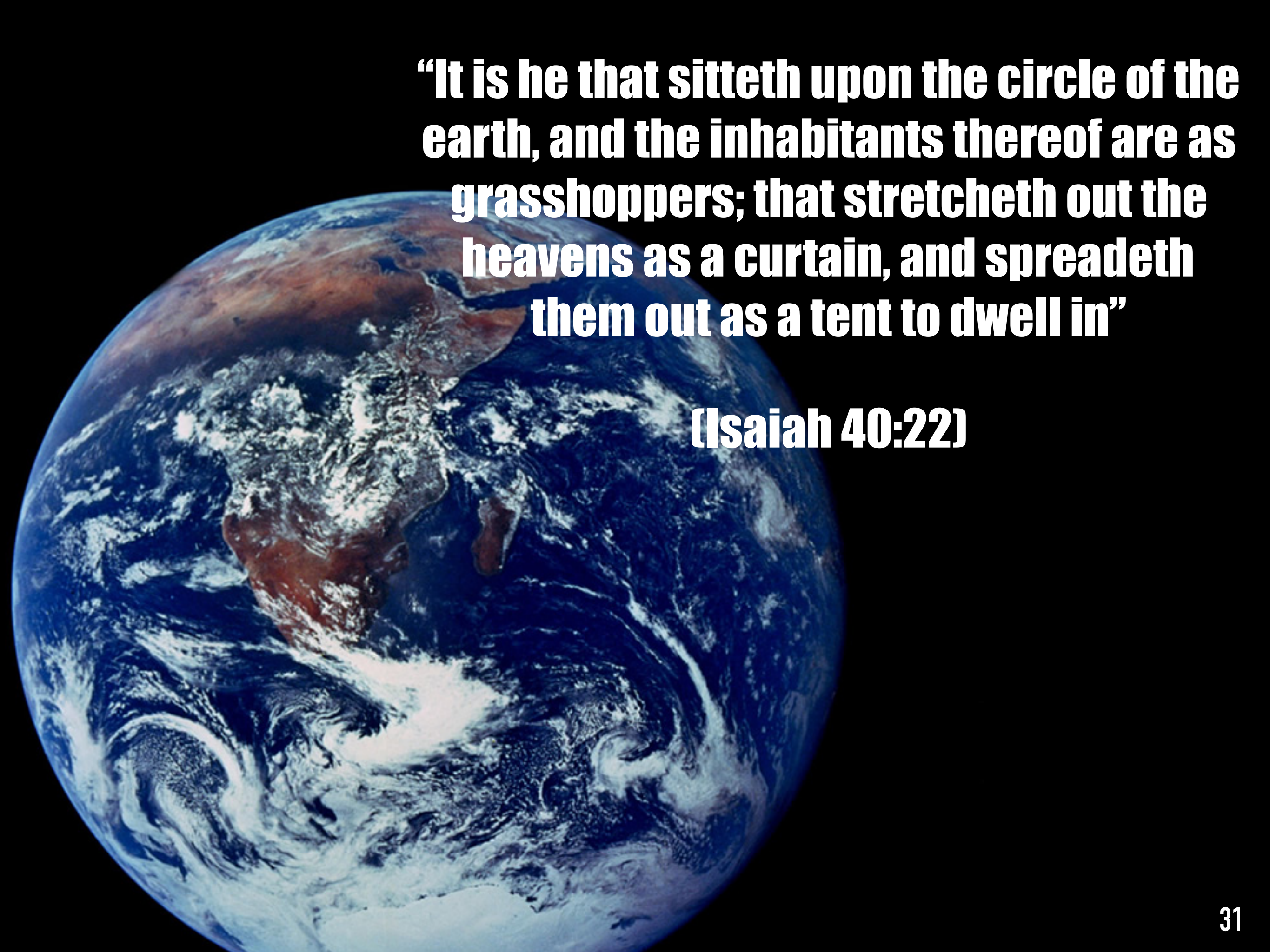


Sunrise




Sunset






“It is he that sitteth upon the circle of the earth, and the inhabitants thereof are as grasshoppers; that stretcheth out the heavens as a curtain, and spreadeth them out as a tent to dwell in”

(Isaiah 40:22)



**“When I consider thy heavens, the work of thy fingers,
The moon and the stars, which thou hast ordained;
What is man, that thou art mindful of him? ...”**

(Psalm 8:3-4)



**“I will bless thee, and in multiplying I will multiply thy seed as the stars of the heaven ...”
(Genesis 22:17)**





Security

100



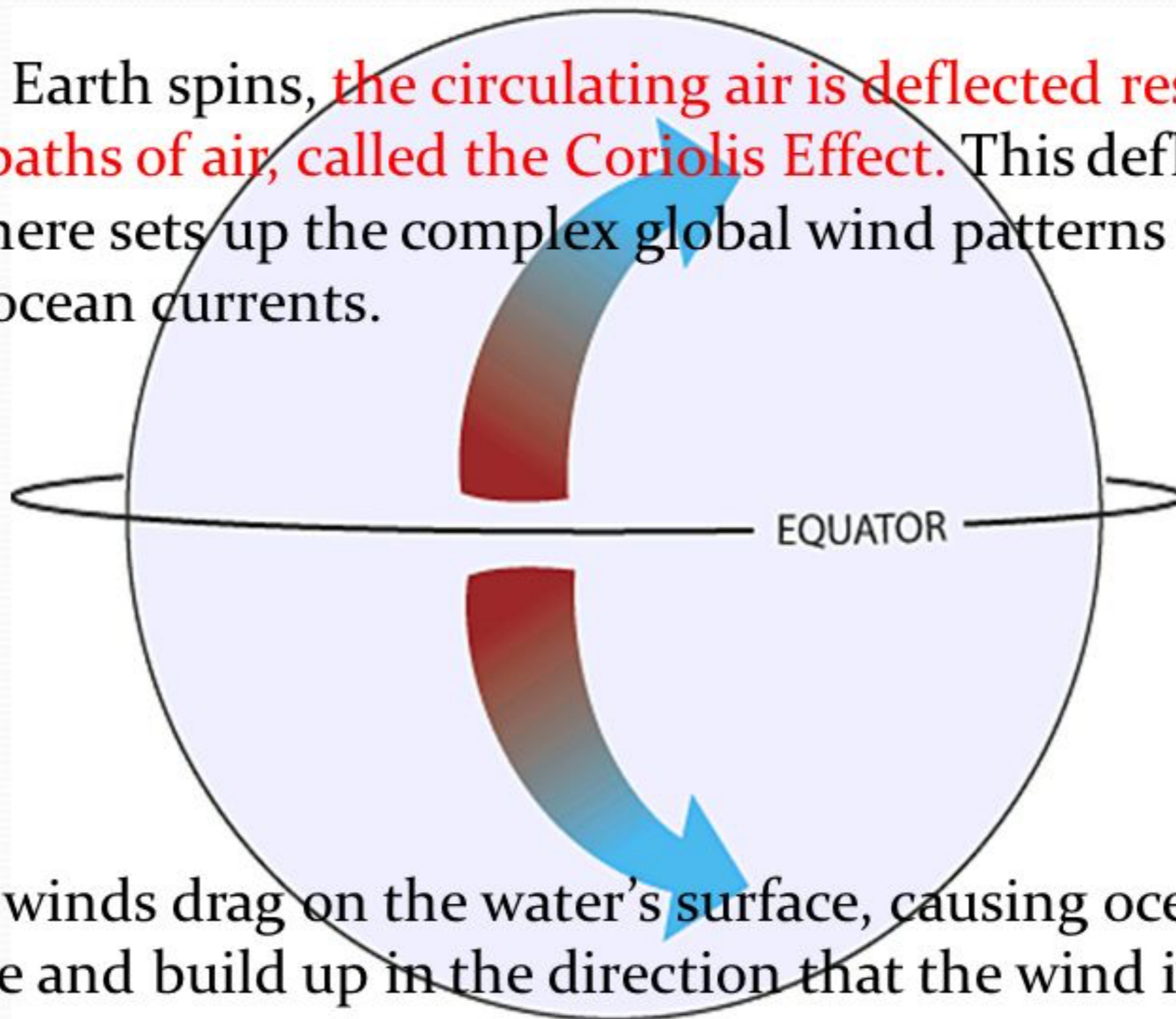






What is the *Coriolis Effect*?

Because Earth spins, **the circulating air is deflected resulting in curved paths of air, called the Coriolis Effect.** This deflection of the atmosphere sets up the complex global wind patterns which drive surface ocean currents.



Global winds drag on the water's surface, causing ocean water to move and build up in the direction that the wind is blowing.